

CA FINAL - AFM

Introduction - Bones

TVM

Valuation:-



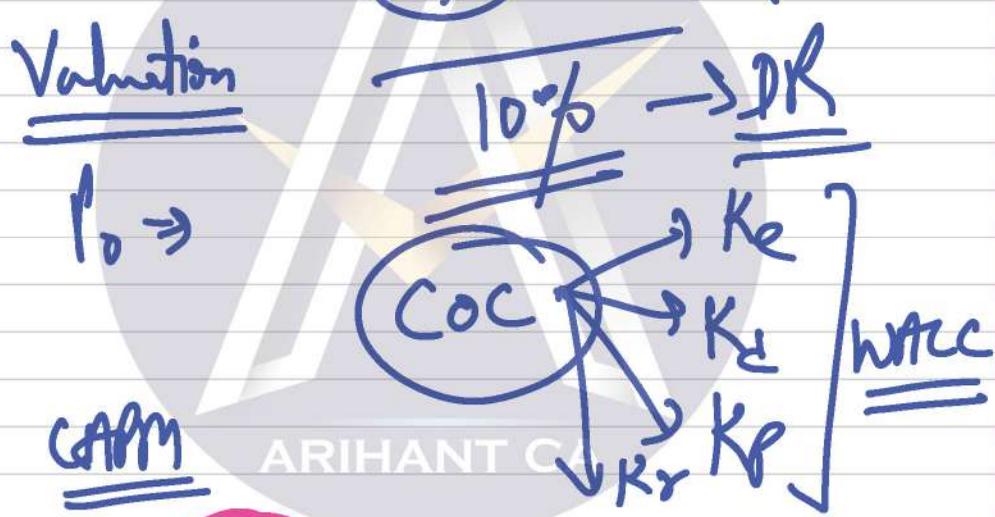
Money has a time value

S.P.A

1) Inflation ✓ Minimum TQM

2) Returns ✓ 3% DR.

3) Risk Premium ✓ 2% MV TU

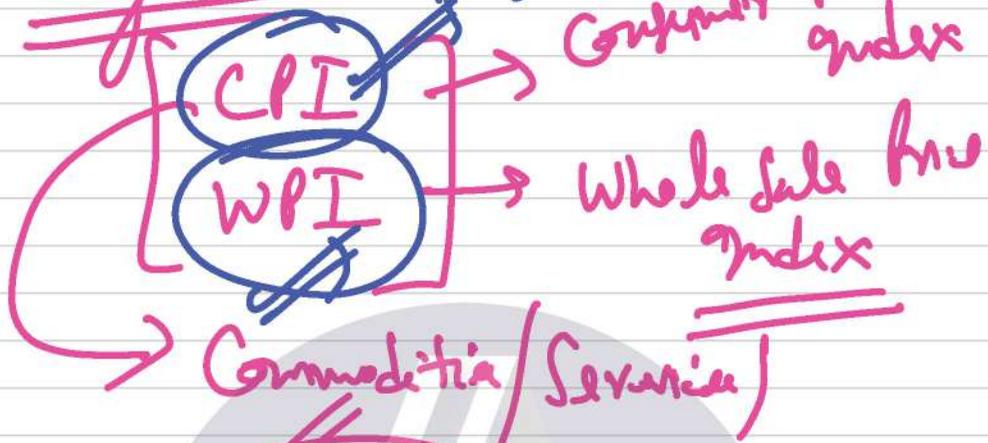


$K_e \Rightarrow R_f + \text{Risk Premium} = 0$

Inflation Return \Rightarrow FD Rate
 $4\% + 3\% \Rightarrow 7\%$

Inflation :-

Index



Basket → Index

100 → 105

$$\% \text{ Inflation} = \frac{105 - 100}{100} \times 100 = 5\% \checkmark$$

Nifty/Sensex → Index

ROI → To Control the Inflation
→ To Decide ROI

Repo → Levure MMI

K_e = 15%
⇒ Cost of Equity
→ From Co's point of view
 $E(K)$ ⇒ Expected return of an investor
15%

CAPM :-

100cr Sum 11/12

20%

100cr
13-14%

CAPM :- $K_e = ?$ | $E(R) = ?$

$E(R) \Rightarrow R_f + \text{Risk Premium}$

8%

$\beta = \text{Beta}$

[Inflation + Return]

Beta :-

Sensitivity of Asset Return with the Mkt. Return

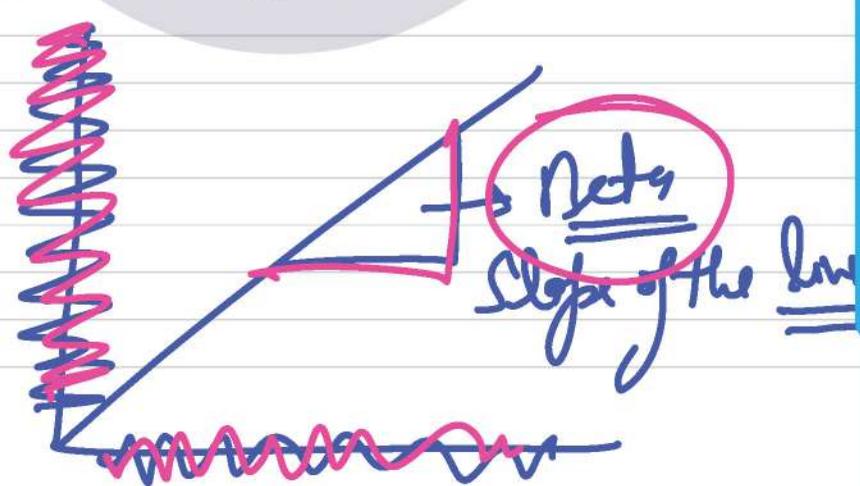
in context with the MKT. Return

beliefs | ITC | Myops → Assets

MK-I. → Nifty / Sensex

50 state brings to the MKT.

Nifty ~~~~~
Asset ~~~~~ Delta



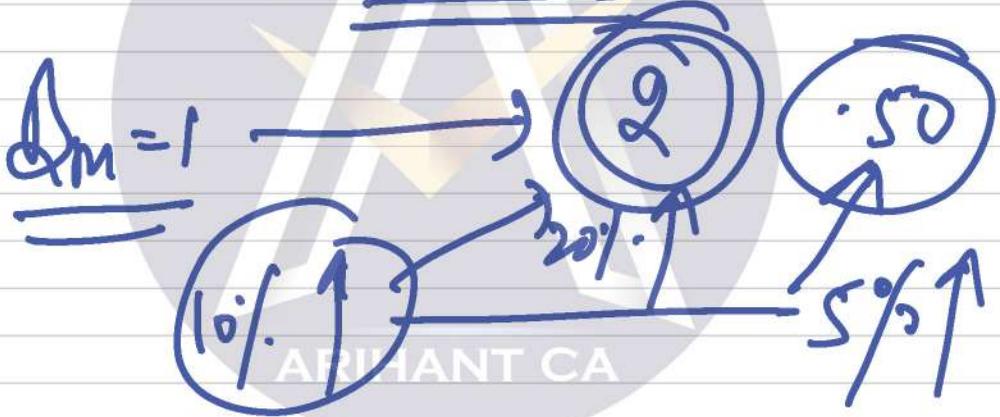
How :-

MKT. Return

$\beta_{MKT} \Rightarrow$ Change in Security Return
 change in MKT. Return

$\beta_{MKT} \rightarrow \text{MKT.} \Rightarrow \beta_M = 1$

\hookrightarrow Benchmark



<u>5%</u>	15%	()	10%
2%	7% - 5%		
= 2.5 times			

$$\boxed{Q = \text{times}}$$

$$\boxed{\text{CAPM} \Rightarrow \underline{r_F} + (R_m - r_F) \underset{1.1}{Q}} \quad \underline{\underline{1.50}}$$

$R_m - r_F \Rightarrow$ MKT. Risk premium / Security Risk premium

$Q \Rightarrow$ Sensitivity / Risk Index

$$\boxed{E(R) \Rightarrow \underline{r_F} + \frac{Q \neq 0}{\underline{Q_m = 1}} [R_m - r_F]}$$

$$\underline{Q=1} \quad \boxed{E(R) = R_m}$$

$$\underline{Q=0} \quad \boxed{E(R) \Rightarrow r_F}$$

$$E(R) = R_f + A(=1) [R_m - R_f]$$

$$E(R) = \cancel{R_f} + R_m - \cancel{R_f}$$

$$E(R) = R_m \quad \text{Assume proved} =$$

2) Fisher's Effect: - (Irvin Fisher)

$$\Rightarrow \text{MR} = RR + \text{Inflation rate}$$

⇓
If includes
inflation

⇓
If includes
inflation

Risk Premium:

Bank FD

7%

Rf security
Risk = 0

Corporate FD

10.5%

Default Risk

Value is different

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3) RADR :- Risk Adjusted Discount Rate

$$\text{RADR} = R_f + \text{Risk Premium}$$

$$\underline{\underline{MR = RR + IR}}$$

Compounded:-

10%

$$R_{\text{eff}} = 10\%$$

$$\Rightarrow (1+MR) = (1+RR) (1+\text{inflation rate})$$

$$\Rightarrow (1+RADR) = (1+RFR) (1+RF)$$

IFM / Advanced CB

Link Premium:-

DR \Rightarrow Link

1) Default Risk :-
Co \rightarrow Default
 \rightarrow Int. ✓
 \rightarrow Impub. ✓

⇒ Credit Rating.
↳ Prob. of Default ✓

2) Liquidity Risk:-

Easily Tradeable

ETF'S

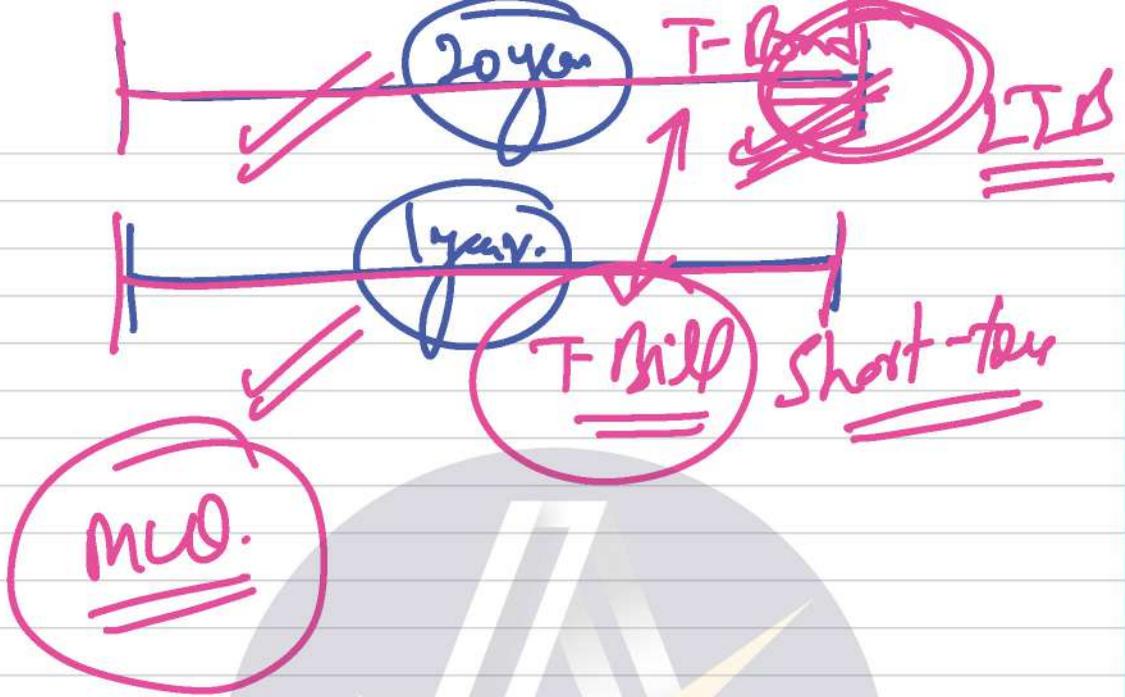
Stocks

MF'S

Highly liq.

2 → 2/1

3) Maturity Risk:- (Bonds)



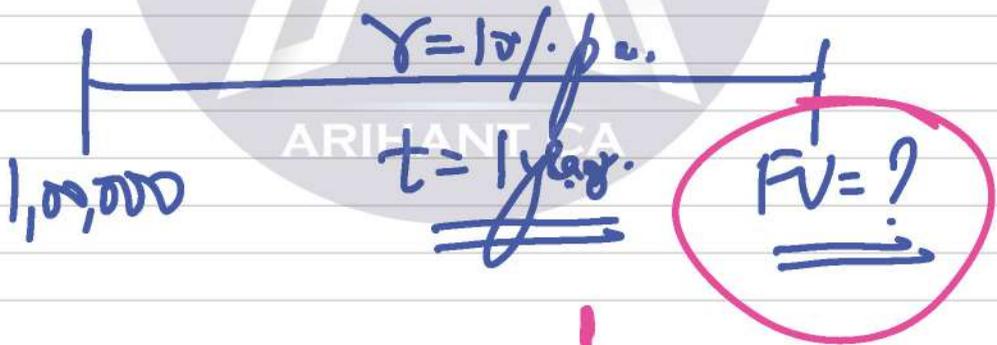
TVM

FV Technique.

F/O

PV Technique

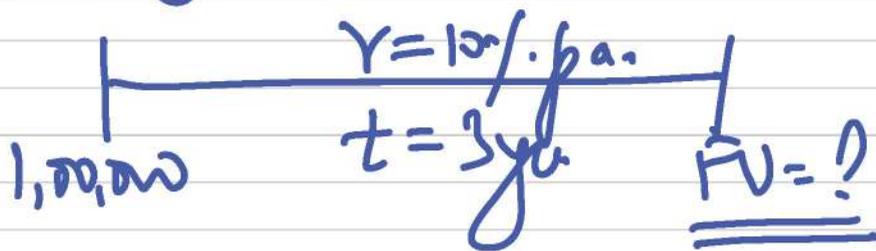
1) FV of Single CF:-



$$\Rightarrow 1,00,000 (1 + 0.10)^1 = 1,10,000$$

Interest on Interest

Ex. t = 3 years



$$FV = 1,00,000 (1 + 10\%)^3$$

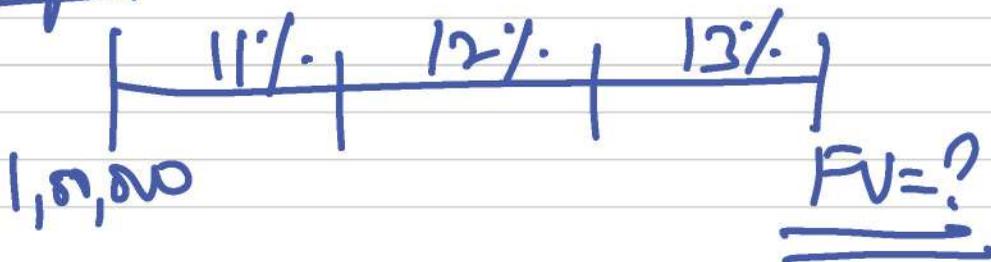
$$\Rightarrow \underline{\underline{133100}} \checkmark$$

$$FV = PV (1 + r)^n$$

$$[1,00,000 + 1,00,000 \times 10\%] + 10\%$$

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Example

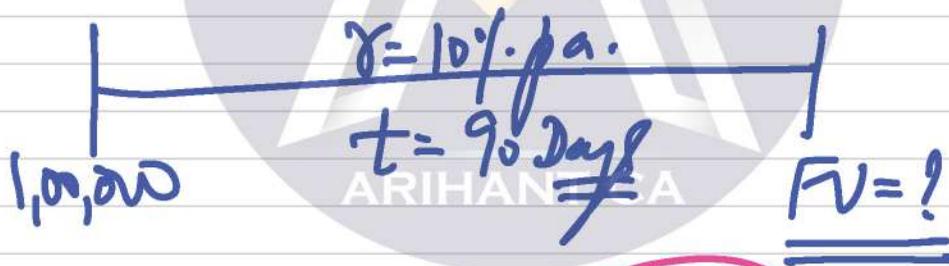


$$1,00,000 (1+11) (1+12) (1+13)$$

$$\Rightarrow \underline{\underline{140481.60}}$$

Example:- if time period is less than 1 year:-

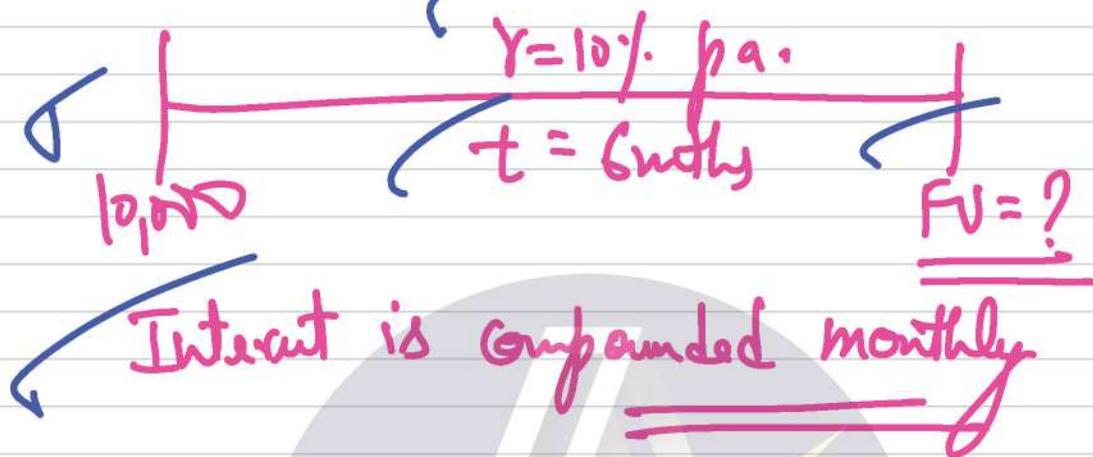
MMI \rightarrow CD's | CP's | T-bill



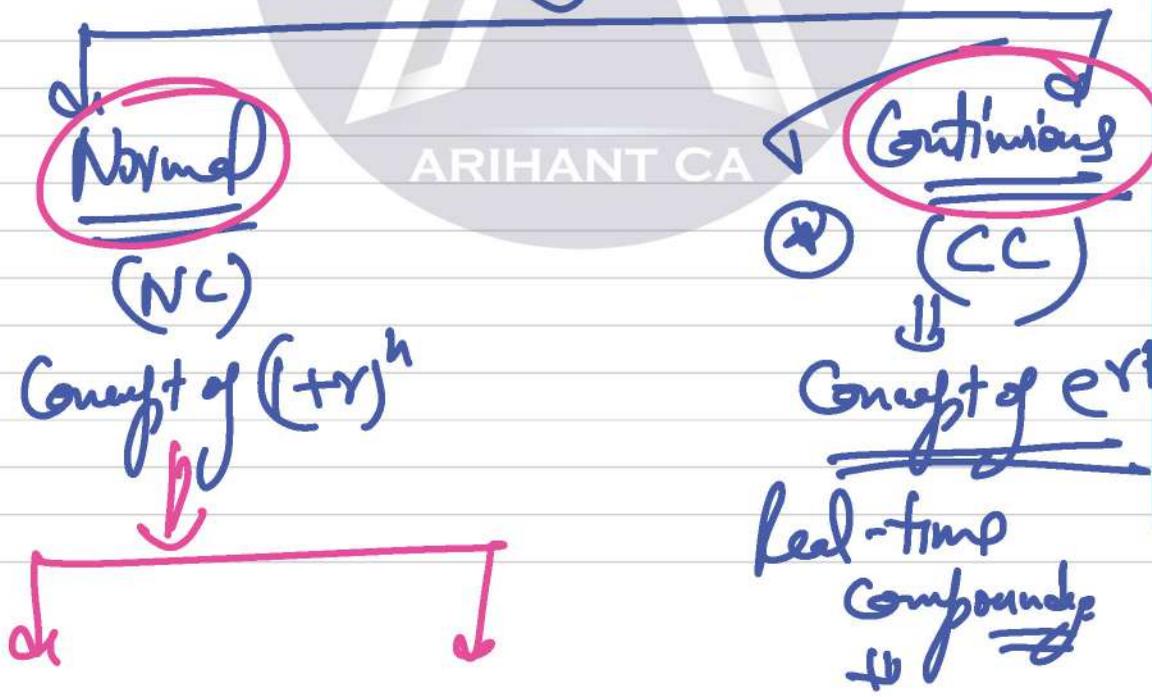
$$\Rightarrow 1,00,000 \left(1 + \frac{10 \times 90}{365}\right)$$

$$\text{FV} \Rightarrow \underline{\underline{102493.15}}$$

Example. (FVo) Derivatives :-



Compounding :-



Concept of
EAK

Cal. of
FD
using EAK

Derivatives

1) EAK - Effective Annual rate

FD → ROI = 10% p.a.
→ Monthly ✓✓

EAK ⇒ more than 10%

$$EAK = (1 + \text{periodic rate})^m - 1$$

periodic rate ⇒ $\frac{\text{Annual rate}}{m}$

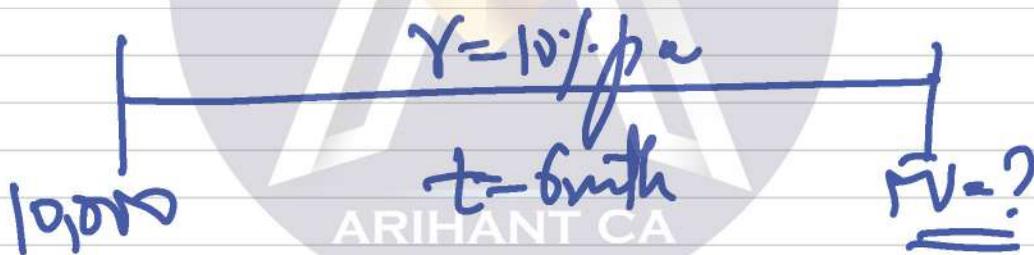
m = No. of Compounding period p.a.

$$\left(1 + \frac{10}{12}\right)^{12} - 1$$

$$\text{EAR} \Rightarrow 10.47\% \text{ pa.}$$

EAR \rightarrow ROI actually realized due to Compounding.

Cal. FV:-



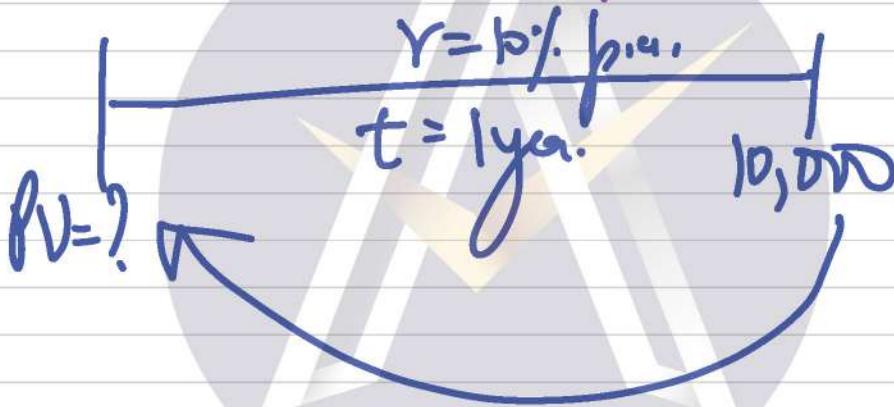
with is compounded monthly.

$$FV = PV \left(1 + \frac{r}{m}\right)^{m \times n}$$

$$\Rightarrow 10,000 \left(1 + \frac{10}{12} \right)^{12 \times \frac{6}{12}}$$

$$\Rightarrow \underline{\underline{10510.53}}$$

2) Present Value of Single CF :-



$$FV = PV(1+r)^n$$

$$PV = \frac{FV}{(1+r)^n}$$

$$\Rightarrow \frac{10,000}{(1+10\%)^1} \Rightarrow \underline{\underline{₹ 9090.91}}$$

$$\frac{1}{(1+10\%)^1} \Rightarrow \underline{\underline{\text{PVF}}}$$

Example. $t = 4 \text{ years}$

$$\frac{10,000}{(1+10\%)^4} \Rightarrow 10,000 \times \underline{\underline{.683}}$$

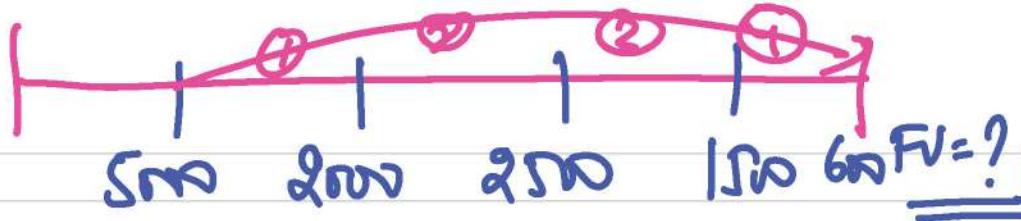
$$\Rightarrow \underline{\underline{₹ 6830}}$$

$$10,000 \times \text{PVF@10\%, 4th year}$$

3) Future Value of Multiple CF's
(MIRR)

Example

$$r = 10\% \text{ p.a.}$$



$$500 (1+10)^1 \Rightarrow 732.50$$

$$2000 (1+10)^2 \Rightarrow 2662$$

$$2500 (1+10)^3 \Rightarrow 3025$$

$$1500 (1+10)^4 \Rightarrow 1650$$

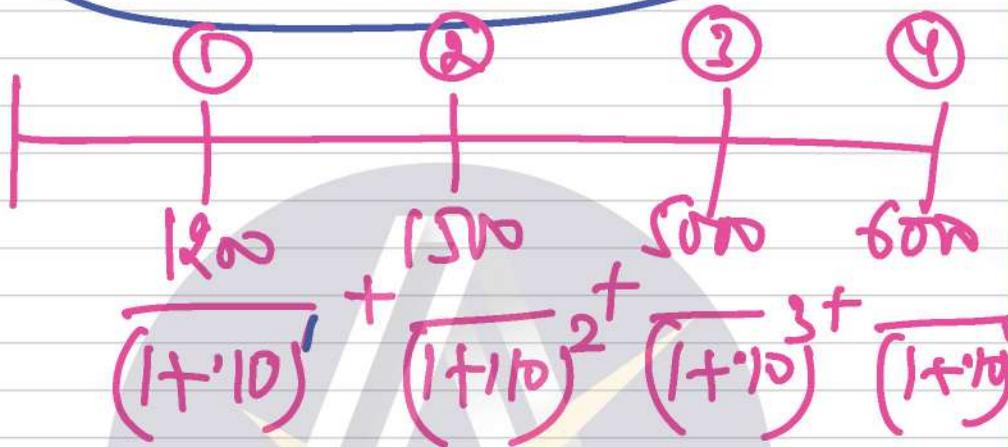
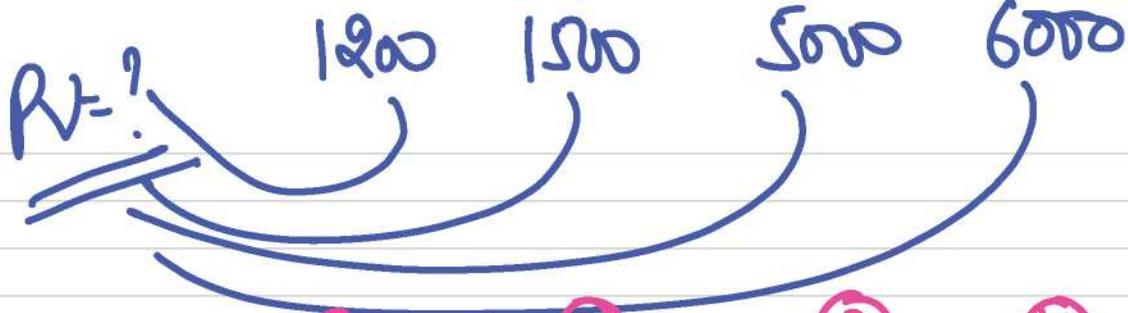
$$600 (1+10)^0 \Rightarrow 600$$

$$\Sigma \Rightarrow FV \Rightarrow \underline{\underline{15257.50}}$$

4) Present Value of Multiple CF's:

$$r = 10\%$$





$$1 \cdot 10 \div = \times 1200 \quad M +$$

$$1 \cdot 10 \div = = \times 1500 \quad M +$$

$$1 \cdot 10 \div = = = \times 5000 \quad M +$$

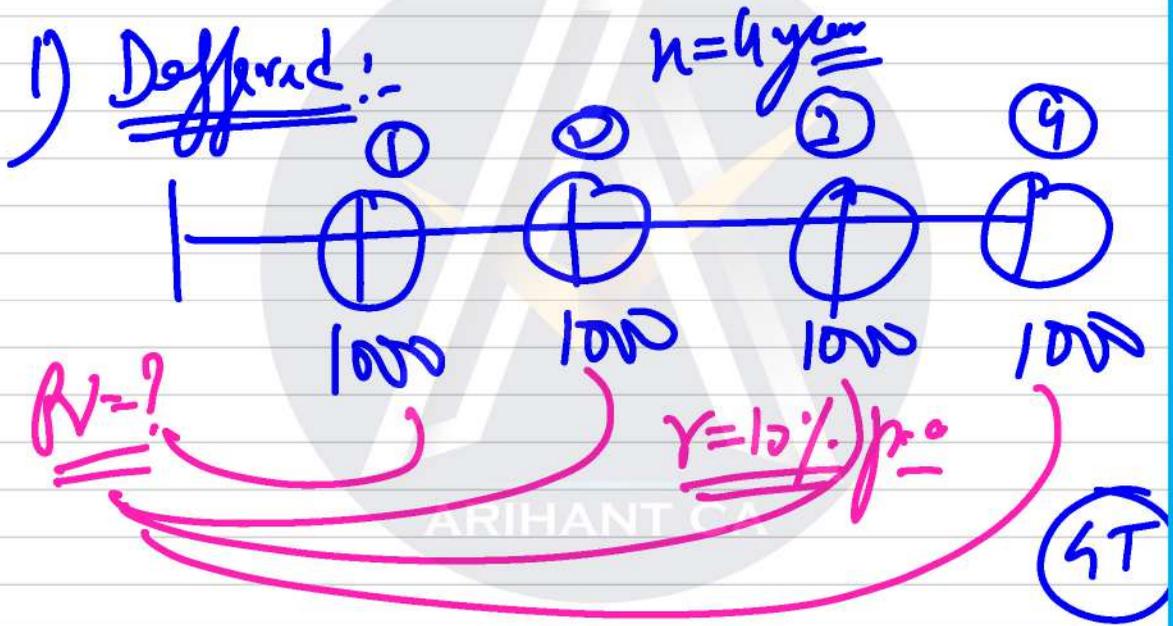
$$1 \cdot 10 \div = = = = \times 6000 \quad M +$$

$$PV \Rightarrow \underline{\underline{MRC}}$$

$$\swarrow$$

$$\underline{\underline{10185.233}}$$

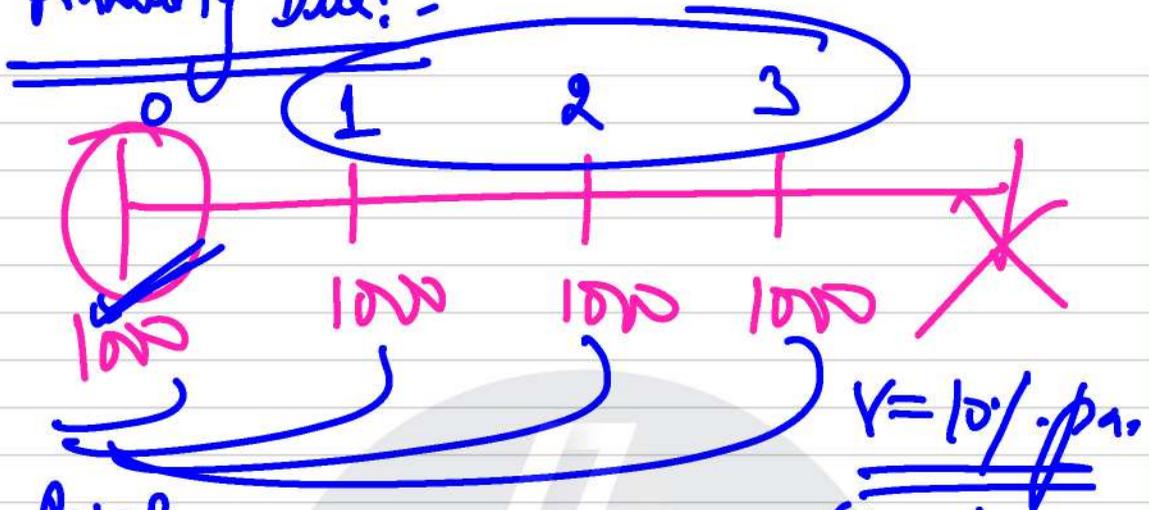
5) Annuity



$$1000 [PVA F @ 10\%, 4 \text{ years}]$$

$$\Rightarrow 1000 \times 3.17 \Rightarrow \underline{\underline{3170}}$$

Annuity Due:-



PV = ?

$$1000 \left[1 + PVAF @ r\% (n-1) \text{ years} \right]$$

$$\Rightarrow 1000 \left[1 + PVAF @ 10\%, 3 \text{ years} \right]$$

$$\Rightarrow 1000 \left[1 + 2.487 \right]$$

$$= \underline{\underline{3487}}$$

7) Equal CF's upto perpetuity:-

(Annuity upto perpetuity)

Example

$$100 + \frac{100}{(1+r)^1} + \frac{100}{(1+r)^2} + \frac{100}{(1+r)^3} + \frac{100}{(1+r)^4} + \dots$$

Sum of infinite series of GP

Derivation [Not relevant for exams]

$$CR = \frac{\cancel{100}}{(1+r)^{\cancel{2}}} \div \frac{\cancel{100}}{(1+r)^{\cancel{1}}} \Rightarrow \frac{1}{1+r}$$

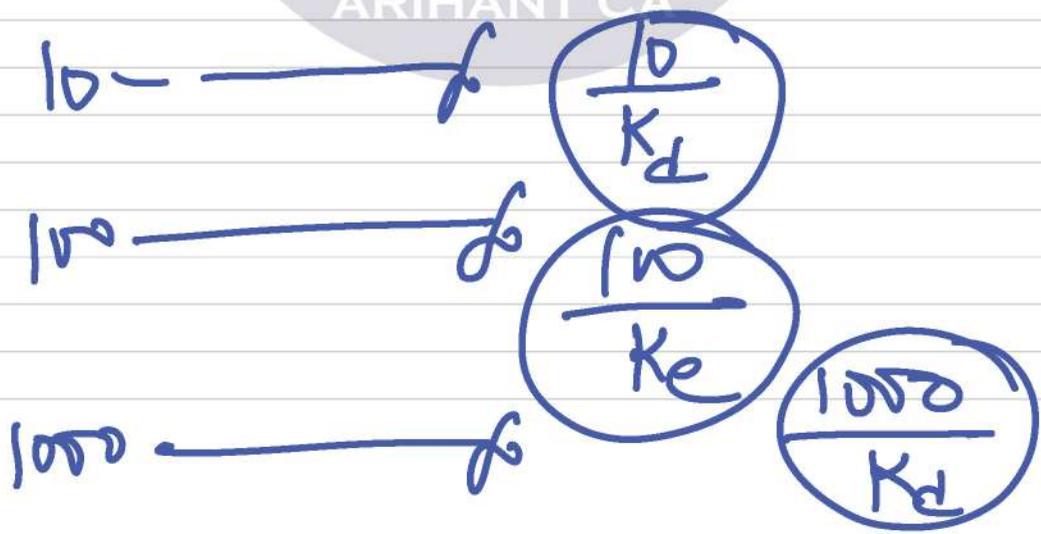
Sum of infinite series of GP:-

$$= \frac{9}{1-r} = \frac{FR}{1-CR}$$

$$\Rightarrow \frac{100}{1+r} \checkmark \quad \Rightarrow \frac{100}{\cancel{1+r}} \frac{1}{\cancel{1+r-1}} \frac{1}{\cancel{1+r}}$$

$$\Rightarrow \frac{100}{r} \approx 0$$

Equal CF's
Discount rate



$$\frac{1000(1+g)}{1+r} \div \frac{1 - \frac{1+g}{1+r}}{1+r}$$

$$\frac{1000(1+g)}{1+r} \div \frac{1+r-g}{1+r}$$

$$\Rightarrow \frac{CF_0(1+g)}{r-g} \text{ or } \frac{CF \text{ at the } (1+g) \text{ Begin}}{DR - \text{growth rate } c}$$

$$\frac{\underline{\underline{\infty}}}{CF_1} \div \underline{\underline{DR - g_c}} = \underline{\underline{PV}}$$

$CF_1 \rightarrow$ CF at the end of 1st year